

Monday

1.2.21

TBAT use the short written method for division

**Solve these division calculation using
a mental method:**

$$52 \div 4 =$$

$$108 \div 9 =$$

$$136 \div 2 =$$

$$105 \div 5 =$$

What strategy did you use?

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TBAT use the short written method for division

The 'Bus Stop' method for division:

$$145 \div 5 =$$

Layout the calculation in a 'bus stop'

$$5 \overline{) 145}$$

Divide each number under the bus stop by the number outside. If a number can't be divided, carry it across to the next number

$$5 \overline{) \cancel{1}45}$$

5 goes into 14 2 times with 4 left over. This 'left over' part gets carried across to the next number:

$$5 \overline{) \cancel{1}4 \overset{2}{}5}$$

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TBAT use the short written method for division

The 'Bus Stop' method for division:

We now need to calculate how many 5s go into 45:

$$5 \overline{) \cancel{1}4 \overset{2}{}5}$$

This gives us our answer:

$$145 \div 5 = 29$$

Tuesday

2.2.21

TBAT use the short written method for division
with remainders

Spot my mistakes:

$$\begin{array}{r} 103 \\ 3 \overline{) 411} \end{array}$$

$$\begin{array}{r} 2010 \\ 4 \overline{) 8040} \end{array}$$

2.2.21

TBAT use the short written method for division with remainders

The 'Bus Stop' method for division (with remainders)

Sometimes when we are dividing, a number won't divide perfectly into equal parts. It won't 'fit' into the number we are dividing.

For example, in $21 \div 4$ we know that 5 4s would fit into 20, but there would be 1 left over. We write this left over part as a 'remainder' (r):

$$21 \div 4 = 5r1$$

2.2.21

TBAT use the short written method for division with remainders

The 'Bus Stop' method for division (with remainders)

$$233 \div 5 =$$

Layout the calculation in a 'bus stop'

$$5 \overline{) 233}$$

Divide each number under the bus stop by the number outside. If a number can't be divided, carry it across to the next number

$$5 \overline{) \cancel{2} 233}$$

5 goes into 23 4 times with 3 left over. This 'left over' part gets carried across to the next number:

$$5 \overline{) \cancel{2} 23 \overset{4}{3} 3}$$

2.2.21

TBAT use the short written method for division with remainders

The 'Bus Stop' method for division (with remainders)

We now need to divide 33 by 5.
5 goes into 33 6 times with 3 left over

$$\begin{array}{r} 46 \\ 5 \overline{) 233} \\ \underline{20} \\ 33 \\ \underline{30} \\ 3 \end{array}$$

Because this is the end of the calculation, we don't have anywhere to carry this left over to. So, it becomes our remainder!

$$\begin{array}{r} 46 \text{ r}3 \\ 5 \overline{) 233} \\ \underline{20} \\ 33 \\ \underline{30} \\ 3 \end{array}$$

We can also write our remainder as a fraction by putting it 'over' the number we were dividing by:

$$233 \div 5 = 46 \text{ r}3$$

or

$$233 \div 5 = 46 \frac{3}{5}$$

Wednesday

3.2.21

TBAT solve division word problems and interpret remainders

Spot my mistakes:

$$\begin{array}{r} 149 \text{ r}3 \\ 5 \overline{) 32448} \end{array}$$

$$\begin{array}{r} 915 \\ 9 \overline{) 8214} \end{array}$$

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TBAT solve division word problems and interpret remainders

Division Word Problems

Apples are sold in packs of 6. A farmer harvests 135 apples. How many packs can he make?



This problem is asking us to divide. However, the answer is going to give us a remainder:

$$\begin{array}{r} 22 \text{ r}3 \\ 6 \overline{) 135} \end{array}$$

How should we answer the original question?
Can we have a 'remainder' of a pack?

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TBAT solve division word problems and interpret remainders

Apples are sold in packs of 6. A farmer harvests 135 apples. How many packs can he make?



The answer would be 22, with 3 apples left over. The farmer can't make 23 whole packs, because he would need 3 more apples to do this.

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TBAT solve division word problems and interpret remainders

Have a go at this word problem. What do you think you need to do with the remainder?

A factory makes 659 chocolate bars in one day. They put 5 bars in each pack to be sold in supermarkets. How many packs can they make?



Thursday

4.2.21

TBAT investigate divisibility rules

What is a multiple?

A number that can be divided by another number without a remainder.

For example - 9, 21 and 30 are all multiples of 3.

They can be divided by 3 without a remainder.

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TBAT investigate divisibility rules

Which of these numbers are multiples of 3?

How do you know?

9

30

4

61

9

21

261

109

4539

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TBAT investigate divisibility rules

Today you will be investigating the following statement:

"If I add all of the digits of a number together and that number is a multiple of 3, then the original number will also be a multiple of 3"

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TBAT investigate divisibility rules

To investigate:

- Choose a 3 digit number, for example 326
- Add the digits: $3 + 2 + 6 = 11$ (this is not a multiple of 3)
- Test the rule using the bus-stop method. Divide the number by 3, if there is no remainder, the number is a multiple of 3:

$$\begin{array}{r} 108r2 \\ 3 \overline{) 326} \end{array}$$

Because there is a remainder, this would support the rule, because the addition of the digits (11) is also not a multiple of 3.

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TBAT investigate divisibility rules

Investigate 10 more numbers to test the rule

(Two numbers have been done for you as an example)

Number	Do the digits total a multiple of 3?	Division Calculation	Multiple of 3? (Answer has no remainder)
415	$4 + 1 + 5 = 10$ (No)	$\begin{array}{r} 138r1 \\ 3 \overline{) 415} \end{array}$	No
951	$9 + 5 + 1 = 15$ (Yes, because $5 \times 3 = 15$)	$\begin{array}{r} 317 \\ 3 \overline{) 951} \end{array}$	Yes